

( ) , ( )

### NLP-GA

\*

( // : // : )

(GA)

GA (NLP)

GA (HBMO)

(LM)

NLP

( )

Archive of SID

(NLP)

NLP (1989) Ormsbee et al.

Obhadad@ut.ac.ir :

\*

(2003) Moradi-Jalal et al.

NLP

GA (2005) Reis et al.  
(LP-GA)  
(SDDP)

SDDP

(2008) Attarzadeh et al.  
LP-GA

NLP

(MILP)

GA

LP

LP-GA

(2009) Cisty

GA

(1995) Mackle et al.

( )

LP

(GA, Genetic Algorithm)

GA

Moradi-Jalal & Rodin

(GA)

(2002)

GA

(2004) Moradi-Jalal et al.

(2007) Bozorg Haddad & Marino

(HBMO, Honey Bee Maiting)

Rajabpour

(2008) & Afshar

GA NLP

(PSO, Particle Swarm Optimization)

GA

NLP

(NLP)

(P<sub>c</sub>)

$$X = (x_1, x_2, \dots, x_n)$$

Max.  $f(X)$

GA

$$g_i(X) \leq b_i$$

$$i = 1, 2, \dots, m$$

( )

$$X \geq 0$$

$n$

$$= g_i(X) \quad f(X)$$

$$= g_i(X)$$

$$= f(X)$$

(P<sub>m</sub>)

GA

(Hillier and Liberman,

.1980)

(SLP)

) (SQP)

(

(GRG)

(P<sub>c</sub>)

(GA)

GA

GA

(P<sub>m</sub>)

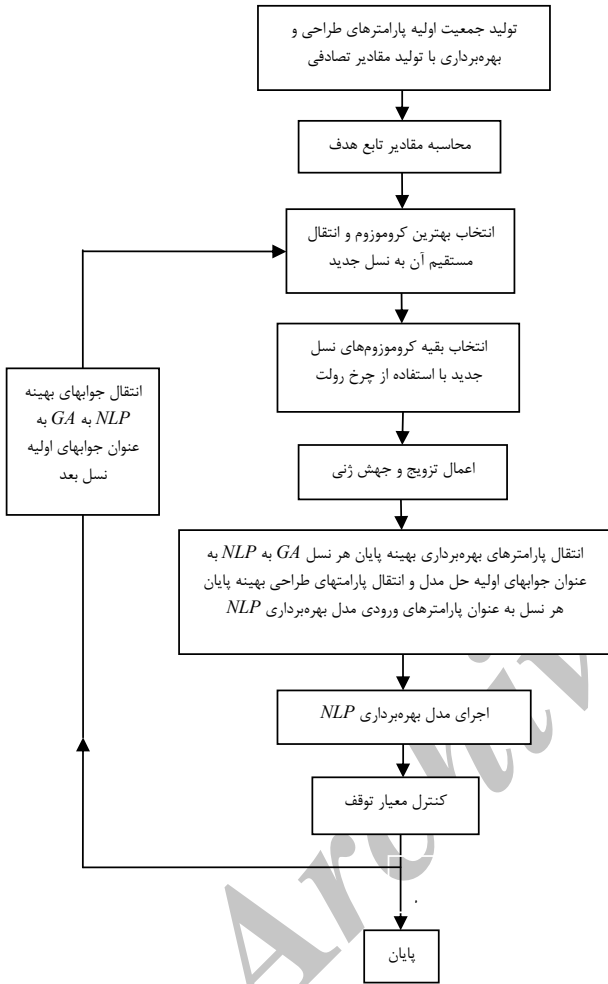
NLP

NLP-GA

NLP-GA

( )

NLP



NLP-GA

NLP of SID

NLP GA

GA

GA

NLP

NLP

NLP

NLP

GA

GA

GA

NLP

Excel Lingo

GA NLP

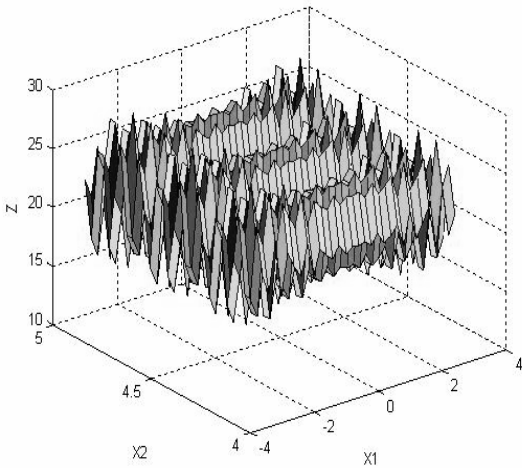
Visual

GA NLP

Basic

( ) ( ) ( )  
( )

Max.  
 $f(x_1, x_2) = z = 21.5 + x_1 \sin(4\pi x_1) + x_2 \sin(20\pi x_2)$  ( )  
 $-3 \leq x_1 \leq 12.1$  ( )  
 $4.1 \leq x_2 \leq 5.8$  ( )  
 ( )



Lingo 11 NLP  
 Basic NLP-GA GA  
 Visual  
 ( ) NLP  
 GA  
 GA

$$\text{Min}(ATC) = \sum_{i=1}^n C_{RF} \cdot C'_i + C_E \cdot E_T \quad ( )$$

$$C'_i = \left(1 + \frac{r \times TC}{2}\right) C_i \quad \forall i = 1, 2, \dots, n \quad ( )$$

$$= n \quad = ATC$$

$$i = C_i \quad = C_{RF}$$

$$= CE \quad i = C'_i$$

$$= TC \quad = r \quad = ET$$

$$E_T = \rho \cdot g \sum_{i=1}^n \sum_{j=1}^m \frac{Q_{i,j} \cdot H_{i,j}(Q_{i,j})}{e_{i,j}(Q_{i,j}, H_{i,j})} \Delta t \quad ( )$$

$$= Q_{i,j} \quad = g \quad = \rho$$

$$i = H_{i,j} \quad j \quad i$$

$$= \Delta t \quad j \quad i \quad = e_{i,j} \quad j$$

$$e_{i,j}(Q_{i,j}) = a_i Q_{i,j}^2 + b_i Q_{i,j} + c_i \quad ( )$$

$$E_T = \rho \cdot g \cdot \sum_{i=1}^n \sum_{j=1}^m H_{i,j}(Q_{i,j}) \cdot \frac{Q_{i,j}}{(a_i Q_{i,j}^2 + b_i Q_{i,j} + c_i)} \Delta t$$

$$0 \leq Q_{i,j} \leq Q_{\max_i} \quad \forall j = 1, 2, \dots, m \quad ( )$$

$$\sum_{i=1}^n Q_{i,j} = (Q_N)_j \quad \forall j = 1, 2, \dots, m \quad ( )$$

$$H_{\min_i} \leq H_{i,j} \leq H_{\max_i} \quad \forall j = 1, 2, \dots, m \quad ( )$$

$$j = (Q_N)_j$$

$$= H_{\max_i} \quad i \quad = Q_{\max_i}$$

$$i \quad = H_{\min_i} \quad i$$

( )

( )

$P_m P_c$

**NLP**


**GA**


**GA**


NLP-

GA

( )

NLP-

GA

$P_m P_c$

**NLP-GA**


**NLP-GA**


GA (Moradi-Jalal et al., 2003) LM  
 HBMO (Moradi-Jalal et al., 2004)  
 (Bozorg Haddad & Marino; 2008)

Lingo (Moradi-Jalal et al., 2003)

11

$P_c$

$P_m$

NLP-GA

( )

( )

*NLP-GA*

/ / / / / / / / / / ( )

*NLP-GA*

/ / / / / ( )

/ / / / /

GA

( )

HBMO

(D-HBMO)

(S-HBMO)

( )

NLP-GA S-HBMO D-HBMO LM

GA

( )

NLP- HBMO GA LM

( )

**NLP-GA HBMO GA LM**

NLP-GA	S HBMO	D HBMO	GA	LM
--------	--------	--------	----	----

NLP-GA	S HBMO	D HBMO	GA	LM
/	/	/	/	/
/	/	/	/	/

( )

LM

D HBMO

GA

HBMO

NLP-GA

D HBMO

GA  
NLP-GA

NLP-GA

( )

D HBMO

NLP-GA

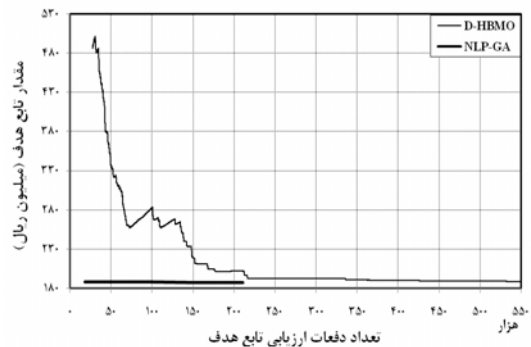
GA

NLP

NLP-GA

GA

GA



D HBMO S HBMO GA LM

NLP-

GA

D HBMO



...	:	
$Q_{i,j}$	(	)
$ATC$		
$CRF$		
$E_T$	(	)
$Q_{maxi}$	(	) $i$
$e_{i,j}$	$j$	$i$
$TC$	(	)
$H_{i,j}$	(	) $j$
$\Delta t$		
$\rho$		
$n$		
$g$		
	$i$	$a_i, b_i, c_i$
	$i$	$H_{maxi}$
	(	) $i$
	$C_E$	(
	$H_{mini}$	(
	$C_i$	(
	$(Q_N)_j$	(
	$C'_i$	(
	$j$	$i$

**REFERENCES**

Attarzade, A., Mousavi, J. and, Tahershamsi, A. (2008). Estimation of optimal reservoir storage with a control on supply reliability applying hybrid genetic algorithm and linear programming. *3<sup>rd</sup> Water Resources Management Conference*, Tabriz, Iran, October 15.

Boulos, P. F., Wu, Z. Y., Orr, C. H., Moore, M., Hsiuing, P., and, Thomas, D. (2001). Optimal operation of water distribution systems using genetic algorithms. *Proceedings of AWWA Distribution System Symposium*, San Diego, CA, USA, September 23-26.

Bozorg Haddad, O., and, Marino, M. A. (2007). Dynamic penalty function as a strategy in solving water resources combinatorial optimization problems with honey-bee mating optimization (HBMO) algorithm. *Journal of Hydroinformatics*, 9 (3), 233-250.

Cisty, M. (2009). Hybrid genetic algorithm and linear programming method for least-cost design of water distribution systems. *Water Resources Management*, 24(1), 1-24.

Hillier, F.S., and, Liberman, G.J. (1980). Introduction to operation research. Holden-Day Inc.

Mackle, G., Savic, D. A., and, Walters, G. A. (1995). Application of genetic algorithms to pumpscheduling for water supply. *GALESIA 95, Conference Publication 4/4,400-405*, London: Institute of Electrical Engineers, September 12-14.

Moradi-Jalal, M., Marino, M. A., and, Afshar, A. (2003). Optimal design and operation of irrigation pumping station. *Journal of Irrigation and Drainage Engineering*, 129(3), 149-154.

Moradi-Jalal, M., Sergey, I., Rodin, S. I., and, Hon, M. (2004). Use of genetic algorithm in optimization of irrigation pumping station. *Journal of Irrigation and Drainage Engineering*, 130(5), 357-365.

Ormsbee, L. E., Walski, T. M., Chase, D. V., and, Sharp, W. W. (1989). Methodology for improving pump operation efficiency. *Journal of Water Resources Planning and Management*, 115(2), 148-164.

Rajabpour, R., and, Afshar, M.H. (2008). Optimized Operation of Serial Pump Station. *Journal of Water and Wastewater*, 19(66), 56-66.

Reis, L. F. R., Walters, G. A. D. and, Chaudhry, F. H. (2005). Multi-reservoir operation planning using hybrid genetic algorithm and linear programming (GA-LP): An Alternative Stochastic Approach. *Water Resources Management*, 19 (6), 831-848.

Rodin, S. I., and, Moradi-Jalal, M. (2002). Use of genetic algorithm in optimization of irrigation pumping stations, WAPIRRA program. <<http://stullia.t-k.ru/waterpump/waterpump.htm>> (June 10, 2002).