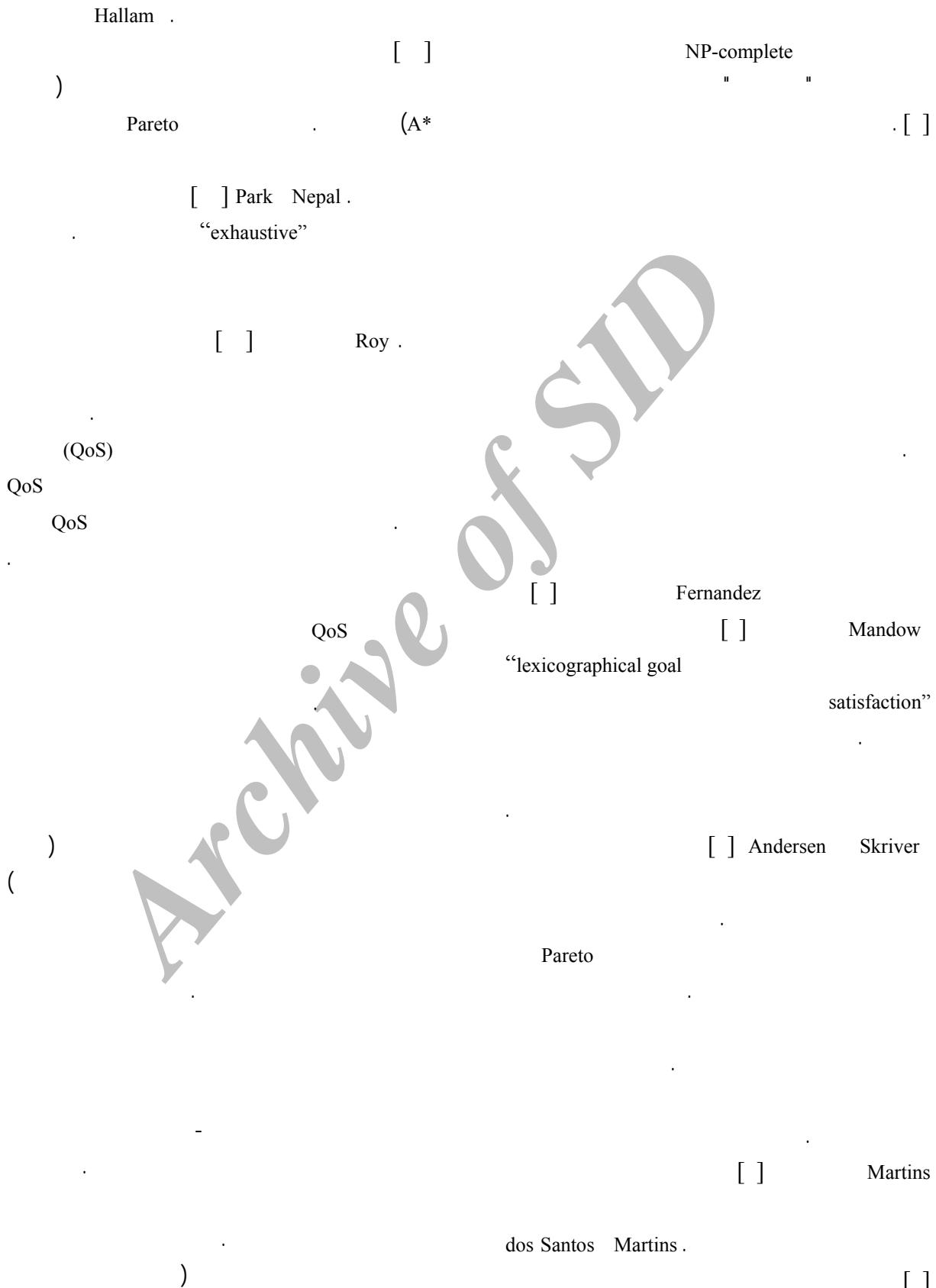


Archive of SID
(GIS)

A* []
BFT

[] []



.....

: $\max(\text{length_value})$) (. ()

" " "

(i=2) x_2 . j ()

: $x_2^j = I$.
: \vdots [] Pareto

$x_2^k = \text{time_ratio}_k = \frac{\max(\text{time_value}) - \text{time_value}_k}{\max(\text{time_value}) - \min(\text{time_value})}$ () Pareto

: $\min(\text{time_value})$ ([])

: $\max(\text{time_value})$ []) Pareto

[] . [] Pareto

flag [] (SWGR) "

flag () flag () SWGR

flag () j (i=1) x_1

$x_I^j = I$.
: \vdots

SCATS () $x_I^k = \text{length_ratio}_k = \frac{\max(\text{length_value}) - \text{length_value}_k}{\max(\text{length_value}) - \min(\text{length_value})}$ ()
: $\min(\text{length_value})$

 c_p p

$$w_p = \frac{l_p}{\sum_{p=1}^n l_p}$$
$$\begin{array}{ccccc} & & n & & \\ & c_p & l_p & & \\ w_p & & p & & \\ \vdots & & & & \vdots \\ & & & & \end{array}$$

1	
0.7	
0.4	
0	

$$congestion_value_k = \sum_{p=1}^n w_p * c_p$$
$$0 \leq c_p \leq 1 \quad \sum_{p=1}^n w_p = 1$$
$$(congestion_value_k) \quad k \quad [0,1]$$

$$x_3^k = \text{congestion_ratio}_k =$$
$$\frac{\max(\text{congestion_value}) - \text{congestion_value}_k}{\max(\text{congestion_value}) - \min(\text{congestion_value})}$$
$$\frac{\min(\text{congestion_value})}{\max(\text{congestion_value})}$$

 (x_4^k)

0	
0.1	
0.2	
0.4	
0.5	
0.6	
0.8	
1	

 $[0,1]$ $()$ $()$

()
MGG

) ()
() / z_i
Lp-norm

$$r(z; p, w) = \left(\sum_{i=1}^q w_i^p \left[\frac{|z_i^* - z_i|}{z_i^*} \right]^p \right)^{1/p}$$
$$w = (w_1, w_2, \dots, w_q)$$
$$z_i$$
$$(p \geq 1)$$

() N

p=1

$$r(z; 1, w) = \sum_{i=1}^q w_i \left[\frac{|z_i^* - z_i|}{z_i^*} \right]$$
$$z_i^* - z_i$$
$$z_i^* = z_i$$
$$z_i^*$$

d=2 d-Heap's

[]

ESRI

ArcGIS 8.3 (ArcInfo)

COM

k R_k

SWGR

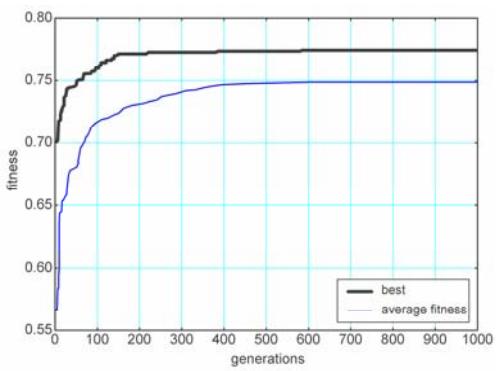
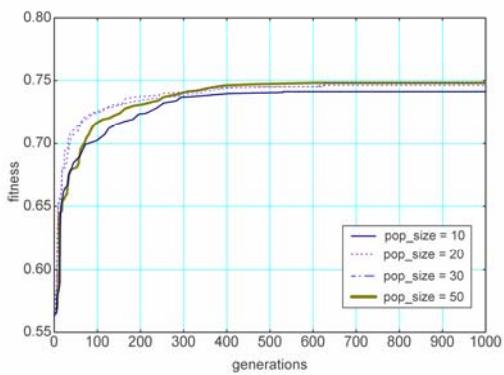
Visual

$f(R_k) = w_1 * x_1^k + w_2 * x_2^k +$
 $w_3 * x_3^k + w_4 * x_4^k$
 $\sum_{i=1}^4 w_i = 1$
 $\rho \in [0,1)$

input map and map database
 initialize importance of each object
 input origin and destination
 initialize a population of individuals (routes).
 Set Generation= 1
 for Generation = 1 to Number of Generation {
 the alternation of generation in random
 calculate fitness values of individuals(Eq. 8)
 elitism
 select two individuals at random
 n-point crossover
 mutation
 repair function}

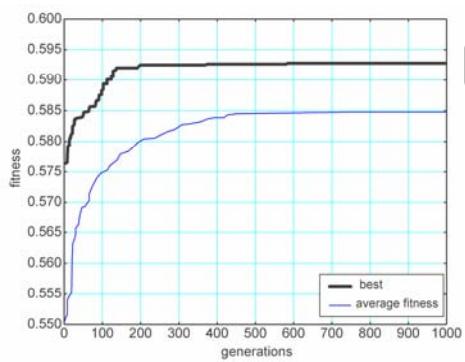
/

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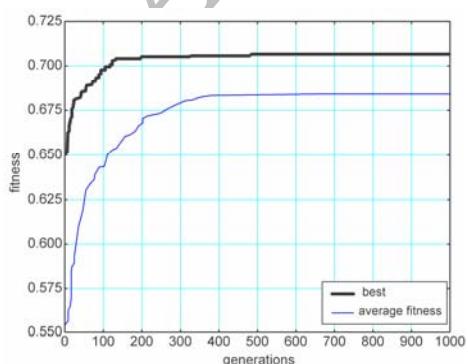
w₁ = 0.25,

.w₂=0.25, w₃= 0.25, w₄=0.25



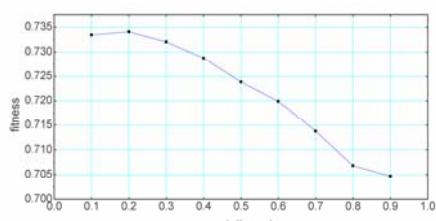
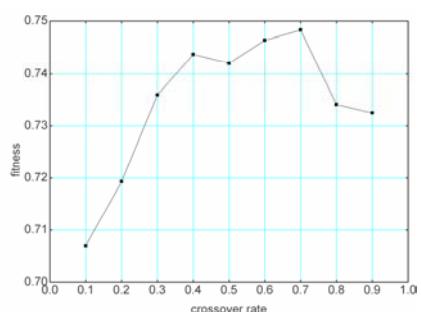
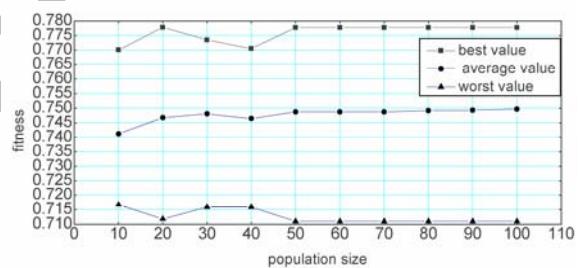
w₁ = 0.2,

.w₂=0.4, w₃= 0.2, w₄=0.2



w₁ = 0.1,

.w₂=0.7, w₃= 0.1, w₄=0.1



Importance weights				Pop_size	The No. of runs	Ideal solution $z^*_{i,:}(L,T,C,D)$	Best compromise solution $z_i:(L,T,C,D)$	Dist. z_i to $z^*_{i,:}$
0.25	0.25	0.25	0.25	50	30	(6839.19,13.98,0.0,1363)	(7454.44,17.64,0.0118,0.3430)	0.143
0.2	0.4	0.2	0.2	50	30	(6839.19,13.98,0.0,1363)	(7513.18,17.57,0.1780,0.3865)	0.208
0.1	0.7	0.1	0.1	50	30	(6839.19,13.98,0.0,1363)	(7789.55,17.05,0.1710,0.2774)	0.199
0	1	0	0	50	30	(6839.19,13.98,0.0,1363)	(7773.86,15.02,0.1060,0.3802)	0.074

: (L,T,C,D) : Pop_size : w_4, w_3, w_2, w_1

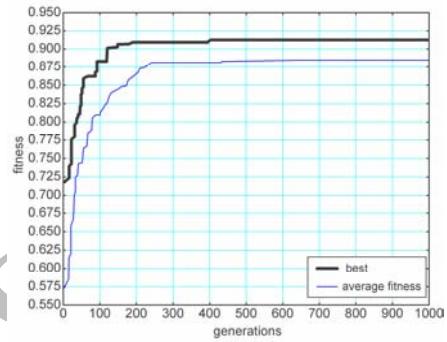
$$z_i^* = z_i \quad \text{Dist } z_i \text{ to } z_i^* = ((z_i^* - z_i)^2 + (z_i^* - z_i)^2 + (z_i^* - z_i)^2 + (z_i^* - z_i)^2)^{1/2}$$

:
 $p=1 \quad L_p\text{-norm}$

$$r(z; 1, w) = \sum_{j=1}^4 w_j \left[\frac{|z_j^{parent} - z_j^{child}|}{z_j^{parent}} \right]$$

$$w = (w_1, w_2, \dots, w_q)$$

$$z_j$$



:
 $w_1=0, w_2=1,$

:
 $w_3=0, w_4=0$
 MGG

[] MGG

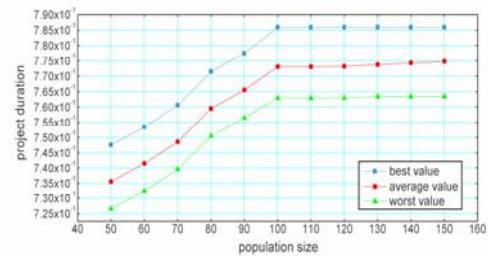
:
 $() () () \quad \text{MGG} \quad () \quad (n) \quad n \quad)$
 $() \quad \text{MGG} \quad ()$
 $z_i^* \quad z_i \quad ()$
 $z_i^* \quad z_i \quad () \quad () \quad []$

)
 $()$

[] MGG () () () ()

input map and map database
 initialize importance of each object
 input origin and destination
 initialize a population of individuals (routes).
 Set evaluation = 1
 for evaluation = 1 to Number of evaluation {
 calculate fitness values of individuals(Eq. 8)
 MGG}

MGG



MGG

Archive of

MGG

Importance weights				Pop_size	The No. of runs	Ideal solution z_i^* : (L,T,C,D)	Best compromise solution z_i : (L,T,C,D)	Dist. z_i to z_i^*
w_1	w_2	w_3	w_4					
0.25	0.25	0.25	0.25	100	30	(6839.19,13.98,0,0.1363)	(7207.81,17.35,0.0122,0.3389)	0.127
0.2	0.4	0.2	0.2	100	30	(6839.19,13.98,0,0.1363)	(7408.78,16.98,0.1810,0.3221)	0.176
0.1	0.7	0.1	0.1	100	30	(6839.19,13.98,0,0.1363)	(7773.86,15.02,0.1060,0.3802)	0.101
0	1	0	0	100	30	(6839.19,13.98,0,0.1363)	(7445.13,14.91,0.0118,0.3513)	0.066

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z_i

z_i^*

()

Z_i^* Z_i

()

Z_i^* Z_i

()

()

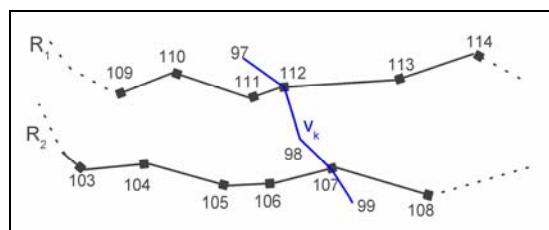
()

()

VI

() () ()

MGG



input map and map database
 initialize importance of each object
 input origin and destination
 initialize a population of viruses
 initialize a population of individuals (routes).
 Set evaluation = 1
 for evaluation = 1 to Number of evaluation {
 calculate fitness values of individuals(Eq. 8)
 MGG
 viral infection}

()

$R_2 \quad R_1 \quad v_k$

= $R_3 = (...109, 110, 111, 112, 98, 107, 108,...)$

$R_4 (...103, 104, 105, 106, 107, 98, 112, 113, 114,...)$

R_4, R_3, R_2, R_1

()

() ()

Viral

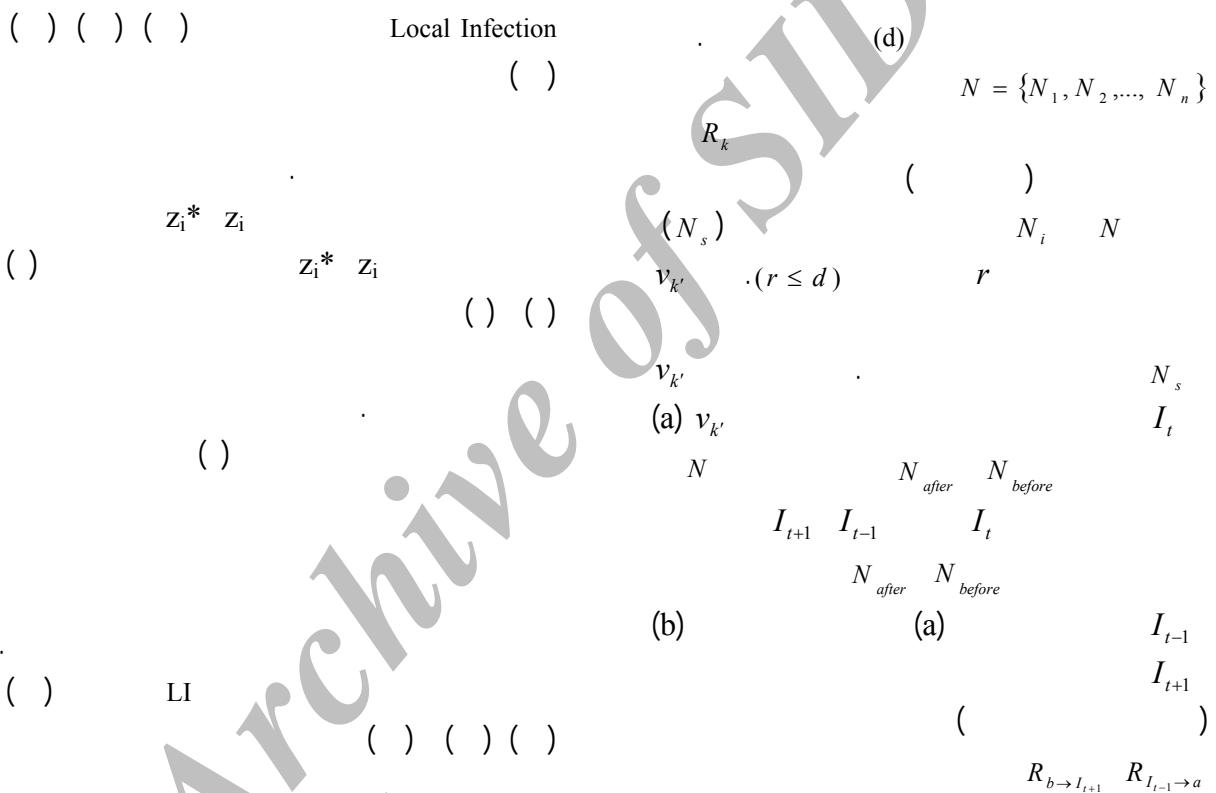
() () () ()

Infection

	Number of viruses	Number of links	Number of nodes
Map	160	5121	4389

viral infection							
Importance weights				Pop_size	The No. of runs	Ideal solution $z^*_i; (L,T,C,D)$	Best compromise solution $z_i; (L,T,C,D)$	Dist. z_i to z^*_i
0.25	0.25	0.25	0.25	100	30	(6839.19,13.98,0.0,1363)	(7258.11,17.15,0.0121,0.3330)	0.124
0.2	0.4	0.2	0.2	100	30	(6839.19,13.98,0.0,1363)	(7603.41,15.36,0.0116,0.3570)	0.108
0.1	0.7	0.1	0.1	100	30	(6839.19,13.98,0.0,1363)	(7444.85,14.81,0.0119,0.3418)	0.072
0	1	0	0	100	30	(6839.19,13.98,0.0,1363)	(7823.85,14.55,0.0113,0.3885)	0.041

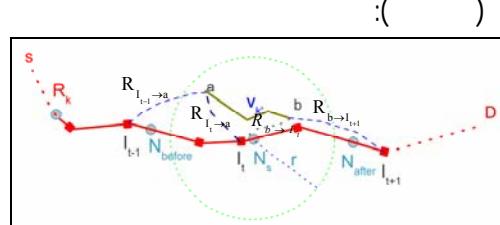
() z_i z_i^*



```

input map and map database
initialize importance of each object
input origin and destination
initialize a population of viruses
initialize a population of individuals (routes).
Set evaluation = 1
for evaluation = 1 to Number of evaluation {
    calculate fitness values of individuals(Eq. 8)
    MGG
    viral infection
    Local infection}

```



:
 ∂R_k
 $\exists R_{s \rightarrow I_{t-1}} \rightarrow R_{I_{t-1} \rightarrow a} \rightarrow v_{k'} \rightarrow R_{b \rightarrow I_{t+1}} \rightarrow R_{I_{t+1} \rightarrow D}$
 $\exists R_{s \rightarrow I_t} \rightarrow R_{I_t \rightarrow a} \rightarrow v_{k'} \rightarrow R_{b \rightarrow I_{t+1}} \rightarrow R_{I_{t+1} \rightarrow D}$
 $\exists R_{s \rightarrow I_{t-1}} \rightarrow R_{I_{t-1} \rightarrow a} \rightarrow v_{k'} \rightarrow R_{b \rightarrow I_t} \rightarrow R_{I_t \rightarrow D}$

viral infection

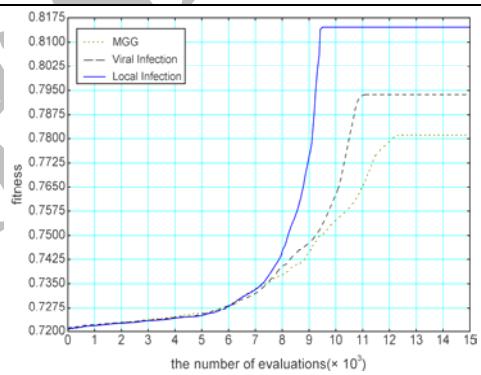
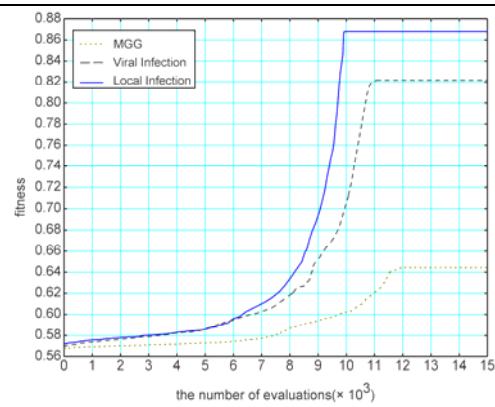
Importance weights				Pop_size	The No. of runs	Ideal solution z^*_i : (L,T,C,D)	Best compromise solution z_i : (L,T,C,D)	Dist. z_i to z^*_i
w_1	w_2	w_3	w_4					
0.25	0.25	0.25	0.25	100	30	(6839.19,13.98,0,0.1363)	(7225.55,16.99,0.0122,0.3022)	0.064
0.2	0.4	0.2	0.2	100	30	(6839.19,13.98,0,0.1363)	(7505.46,14.21,0,0.3615)	0.071
0.1	0.7	0.1	0.1	100	30	(6839.19,13.98,0,0.1363)	(7343.44,14.15,0.0090,0.4065)	0.044
0	1	0	0	100	30	(6839.19,13.98,0,0.1363)	(7039.92,14.08,0.0304,0.3641)	0.007

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z_i

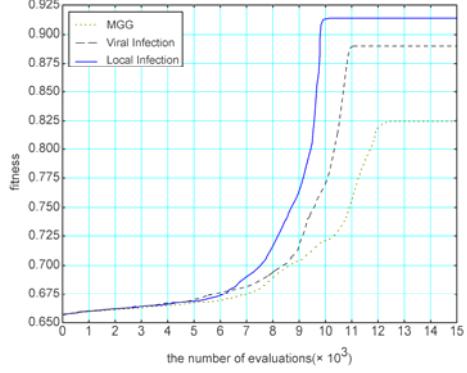
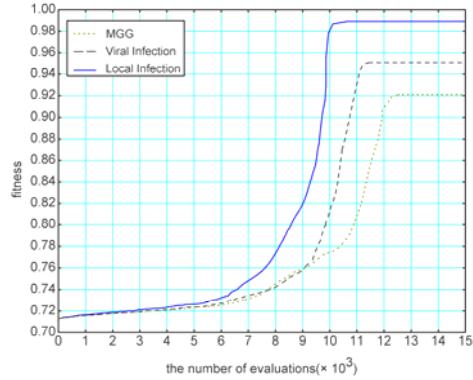
z_i^*

Importance weights				The No. of runs	Fitness Average of best solutions over 30 runs under Pop_size = 50 for Generic GA and Pop_size = 100 for the others			
w_1	w_2	w_3	w_4		Generic GA (Experiment #1)	MGG (Experiment #2)	Viral infection (Experiment #3)	Local infection (Experiment #4)
0.25	0.25	0.25	0.25	30	0.7735	0.7813	0.7937	0.8147
0.2	0.4	0.2	0.2	30	0.5930	0.6433	0.8215	0.8681
0.1	0.7	0.1	0.1	30	0.7067	0.8243	0.8901	0.9136
0	1	0	0	30	0.9126	0.9218	0.9519	0.9895



$w_1 = 0.2, w_2 = 0.4, w_3 = 0.2, w_4 = 0.2$

$w_1 = 0.25, w_2 = 0.25, w_3 = 0.25, w_4 = 0.25$



$w_1 = 0, w_2 = 1, w_3 = 0, w_4 = 0$

$w_1 = 0.1, w_2 = 0.7, w_3 = 0.1, w_4 = 0.1$



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1 - Geospatial Information System/Science
2 - Breath First Search
3 - Heuristic function
4 - Quality of Service
5 - Range-independent ranking
6 - Sum of Weighted Global Ratios (SWGR)
7 - Sidney Coordinated Adaptive Traffic System
8 - Best compromise
9 - Component Object Model
10 - Minimal Generation Gap Model

11 - Modified Dijkstra algorithm
12 - Selection
13 - Crossover
14 - n-point crossover
15 - Mutation
16 - Elitism
17 - Average Fitness
18 - Roulette wheel selection
19 - Main infection
20 - Bridge infection
21 - Local infection

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