

FACTS

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FACTS

$P-\delta$

FACTS SSSC FACTS SVC STATCOM

- SSSC-STATCOM-SVC- -FACTS :

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δ

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SVC .[]

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SSSC

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STATCOM

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k

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$k\omega, k\omega\sin(\delta)$

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FACTS

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(Bang Bang Control)BBC

$\omega = 0 \quad \delta_{\max}$

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SSSC

FACTS

$$\dot{X} = f(X, t) \rightarrow X = (x_1 = \delta, x_2 = \omega)$$

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X

x_1
 $E'_q \angle \delta$

x_2 L_2 L_1

$V(X, t)$

$V \angle 0$

V

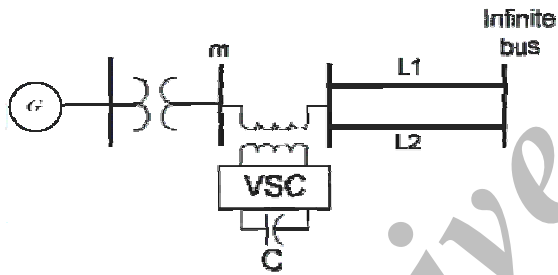
()

$(V(X) > 0, V(0) = 0)$

$V(X, t) -$

$(\dot{V}(X) < 0, \dot{V}(0) = 0)$

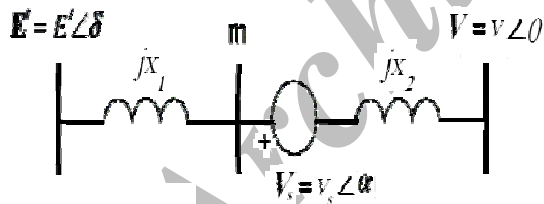
$\dot{V}(X, t) -$



$V(X, t)$

δ, ω

$\delta = \delta_s, \omega = 0$



$$V(\delta, \omega) = \left\{ \frac{1}{2} M \omega^2 \right\} + \left\{ -P_m(\delta - \delta_s) - P_{max}(\cos \delta - \cos \delta_s) \right\}$$

()

δ

M

ω

P_m

$V(\delta, t)$

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P_{e0} [-]

ΔP_{e0}

SSSC

\dot{V}

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SSSC

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$$\dot{V} = -P_e \omega - D \omega^2 + P_{max} \omega \sin \delta$$

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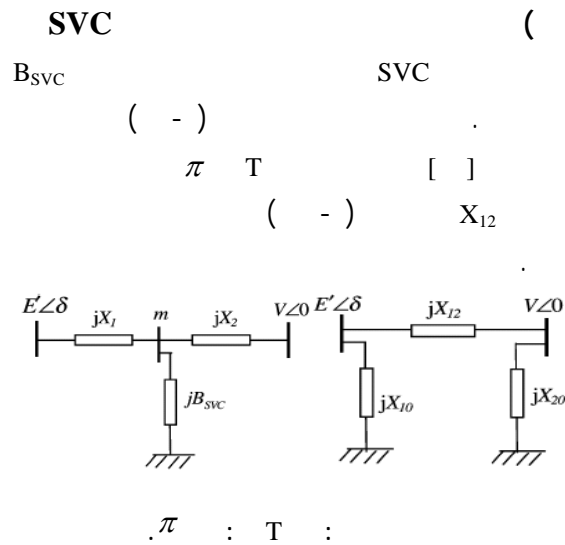
$\Delta P_{e0} = C V_s P_{e0}$

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P_{max}

D

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$$X_{12} = X_1 + X_2 - B_{SVC} X_1 X_2$$

$$P_e = \frac{E'V}{X_{12}} \sin \delta$$

$$P_a = P_m - P_e$$

$$P_a = P_m - P_e > 0, \omega > 0$$

$$P_a = P_m - P_e$$

$$\omega \delta = \delta_{max}$$

$$A_a () A_d ()$$

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$$P_{e0} = (E'_q V / X) \sin \delta$$

$$C = \frac{1}{\sqrt{(E'_q)^2 + V^2 - 2E'_q V \cos \delta}}$$

$$P_e = P_{e0} + \Delta P_{e0}$$

$$\dot{V} = -D\omega^2 - V_S C P_{max} \omega \sin \delta$$

$$\dot{V} = -D\omega^2 - K C P_{max} \omega^2 = -(D + K C P_{max}) \omega^2$$

$$V_S = \frac{K\omega}{\sin \delta}$$

$$D_{SSSC}^{Add} = K C P_{max}$$

$$k\omega \sin \delta \quad k\omega$$

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$$P = m\delta$$

$P - \delta$

$$m = \frac{qz}{\omega z}$$

$L \quad q$

$$m\delta = \left(\frac{E'V}{X_1 + X_2 - B_{SVC} X_1 X_2} \right) \sin \delta$$

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$$B_{SVC} = \frac{X_1 + X_2}{X_1 X_2} - \frac{E'V}{X_1 X_2 m \delta} \sin(\delta)$$

SVC
mnhm

L

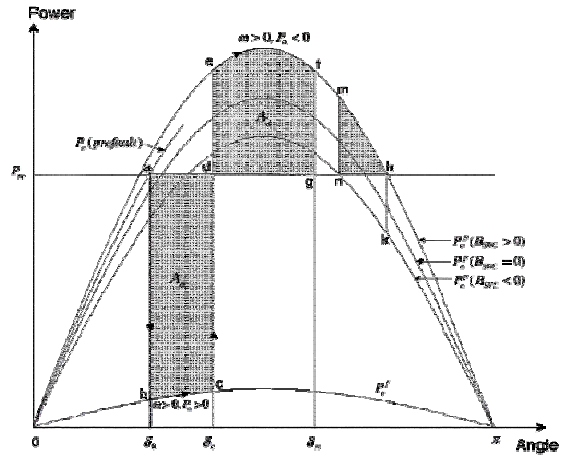
$$B_{SVC}^{max}$$

$$B_{SVC} = \begin{cases} B_{SVC}^{max} : & L \\ \frac{X_1 + X_2}{X_1 X_2} - \frac{E'V \sin \delta}{X_1 X_2 m \delta} : & Lq \\ \frac{k\omega}{\sin \delta} : & \end{cases}$$

p

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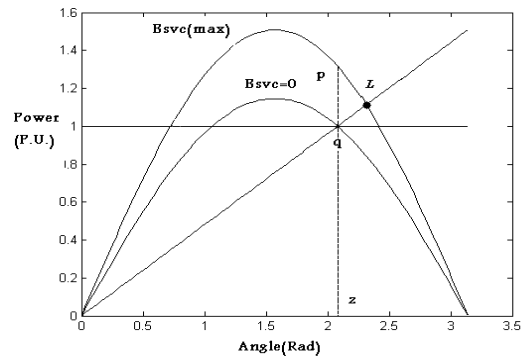
Lq



BBC

$P - \delta$

mnhm



$B_{SVC} = 0 \quad P - \delta$

$P = m\delta \quad B_{SVC}^{max}$

() L

$P - \delta$

mnhm

$P = m\delta$

$B_{SVC} = 0$

L

$$P_e = \frac{E'V_m}{X_1} \sin(\delta - \delta_m) \quad (1)$$

q ()

$k\omega$

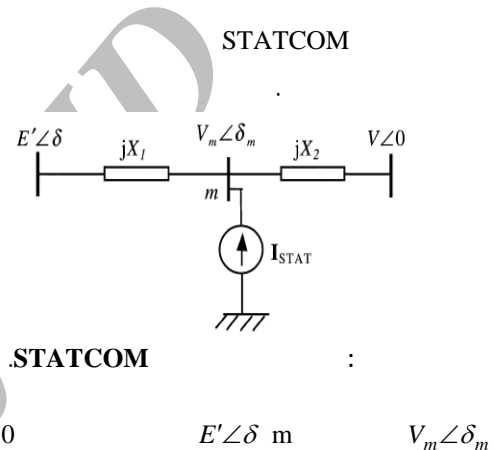
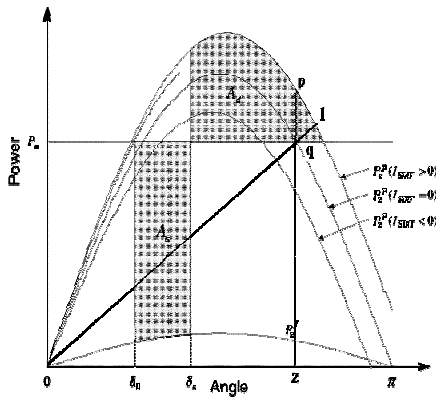
SSSC

$$I_{STAT} = \frac{m(X_1 + X_2) - E'V \sin \delta}{X_2 E' \sin(\delta - \delta_m)} \quad (2)$$

STATCOM

$$I_{STAT} = \frac{m(X_1 + X_2) - E'V \sin \delta}{X_2 E' \sin(\delta - \delta_m)} \quad (3)$$

STATCOM



STATCOM

STATCOM

I_{STAT} SVC SVC Lq

$$I_{STAT} = I_{STAT} e^{j(\delta_m - 90^\circ)} \quad (4)$$

$$I_{STAT} = \begin{cases} I_{STAT}^{max} : \\ \frac{m(X_1 + X_2)\delta - E'V \sin \delta}{X_2 E' \sin(\delta - \delta_m)} \\ \frac{k\omega}{\sin \delta} \end{cases} \quad (5)$$

$$I_{STAT} = I_{STAT} e^{j(\delta_m - 90^\circ)} \quad (6)$$

STATCOM

$P - \delta$

$$\delta_m = \text{tg}^{-1} \left(\frac{E' X_2 \sin \delta}{V X_1 + E' X_2 \cos \delta} \right) \quad (7)$$

SSSC

(-)

$$V_m = \frac{E' X_2 \cos(\delta - \delta_m) + V X_1 \cos \delta_m + X_1 X_2 I_{STAT}}{X_1 + X_2} \quad (8)$$

t_c

L_3

L_3

SVC STATCOM

$L_q V_s$

$P = m\delta$ ()

post fault

$$V_s = \frac{m\delta - P_{e0}}{C P_{e0}} \quad ()$$

SSSC

$$V_{SSSC} = \begin{cases} V_{SSSC}^{\max} : \\ \frac{m\delta - P_{e0}}{C P_{e0}} : \\ \frac{k\omega}{\sin \delta} : \end{cases} \quad ()$$

SSSC $P - \delta$ ()

(pde -)

SVC (

SSSC

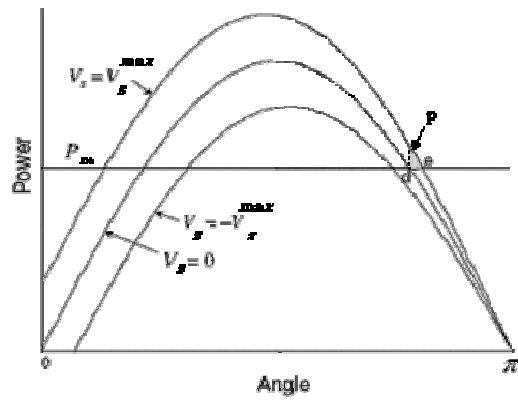
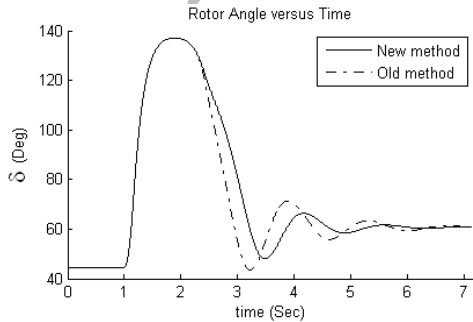
STATCOM SVC

$k = /$

ms

$-\frac{1}{2}$

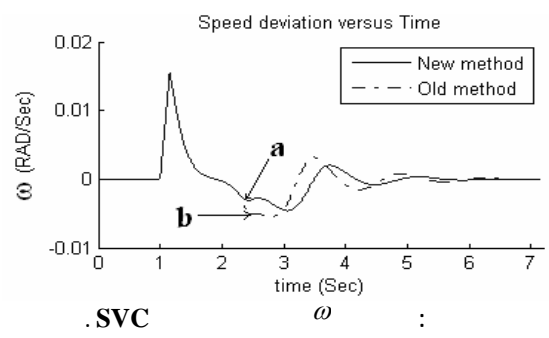
$D = /$



.SVC

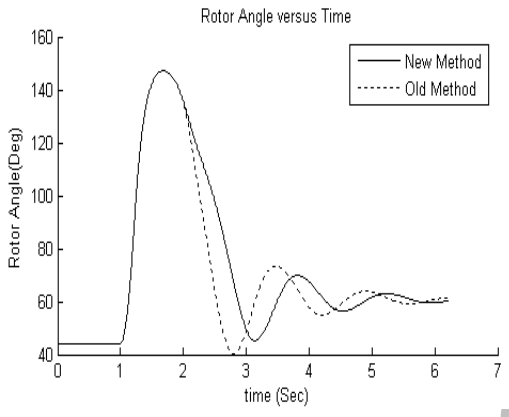
t_0

pq Lq
STATCOM (
 STATCOM

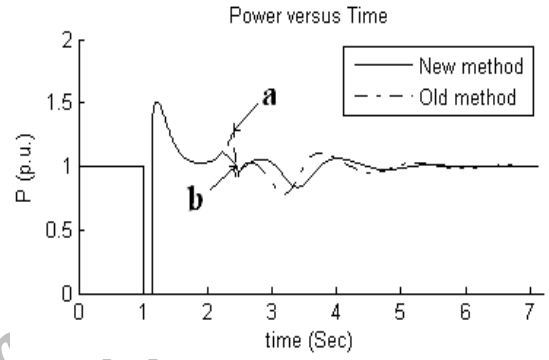


.SVC

ms
 $k = /$ $t_0 = 1 \text{ sec}$
 /



.STATCOM



.SVC

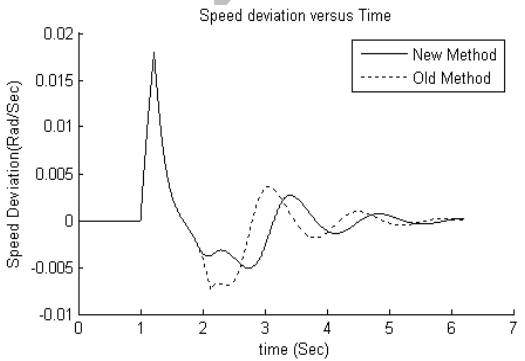
a,b

Archive of

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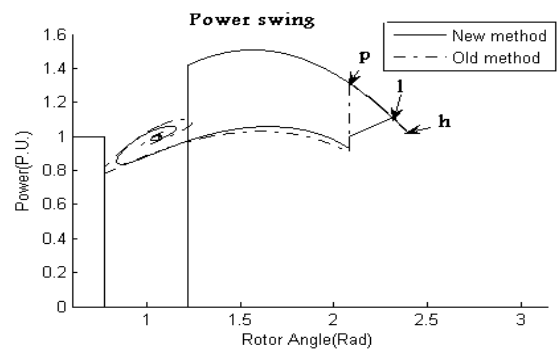
Lq

STATCOM



.STATCOM

ω



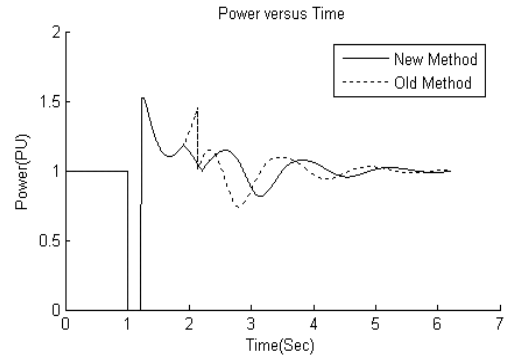
.SVC

$$L_3 \quad t_0 = \text{sec}$$

$$t_c = 162 \text{msec}$$

SSSC

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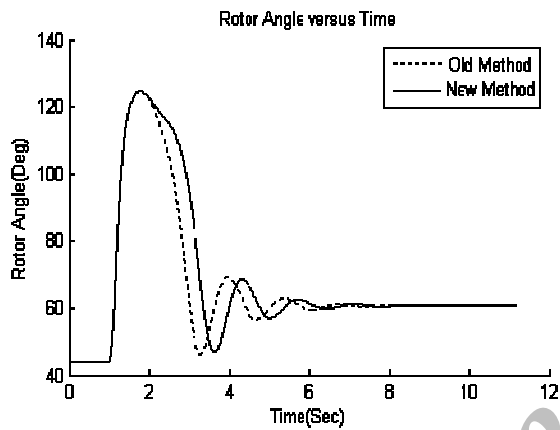
.STATCOM

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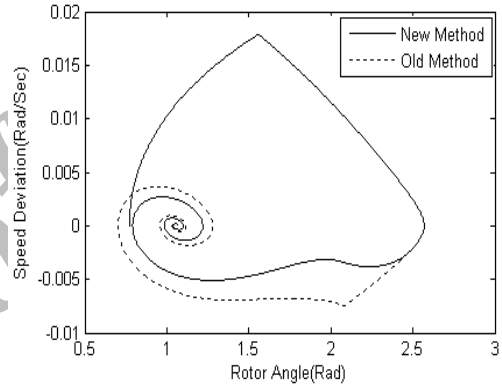
$P - \delta$

SVC STATCOM



.SSSC

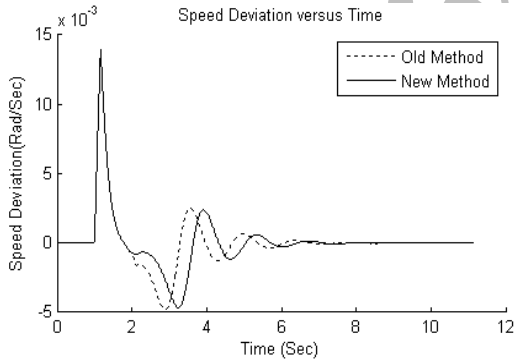
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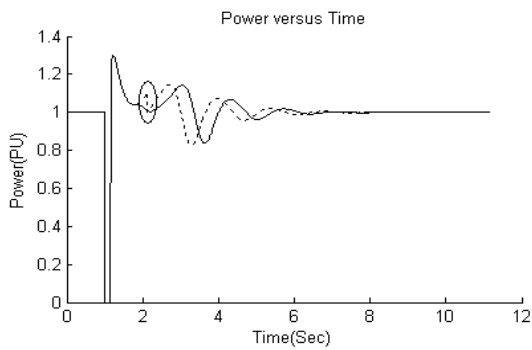


.SSSC

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STATCOM



.SSSC

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SSSC

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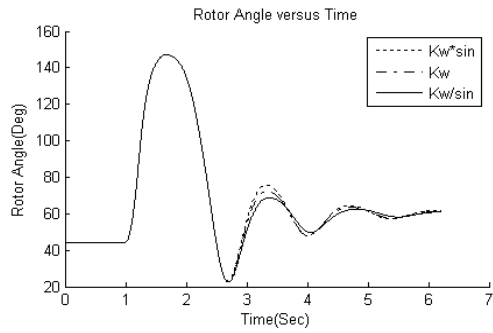
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$$\frac{K\omega}{\sin \delta}$$

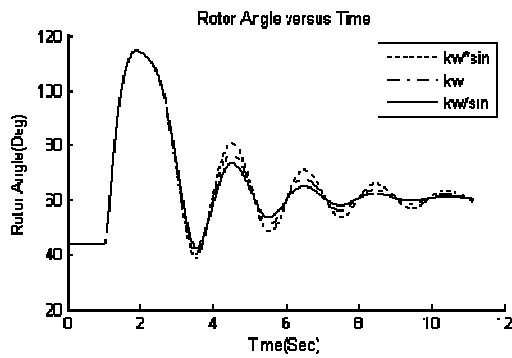
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$$V_{SSSC}^{\max} = 0.2 pu$$

-0.2 pu

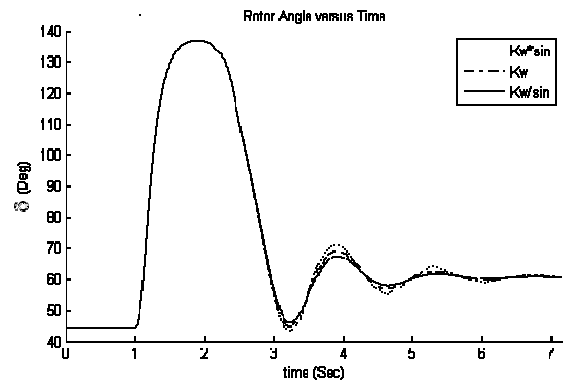


STATCOM



SSSC

FACTS



SVC

$$B_{svc}^{\max} = 1 pu$$

STATCOM

$P - \delta$

FACTS

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$k\omega \sin \delta$ $k\omega$

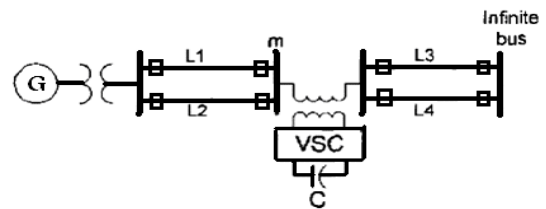
$$H = s, f = \text{Hz}, X'_d = / \text{ pu}, M = H / (\times f)$$

$$V_t = \text{ pu}$$

/

$$X_t = / \text{ pu}$$

$$X_1 = / \text{ Pu}(L_1, L_2, L_3, L_4)$$



. SSSC

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- 1 - Old Method
2 - New Method

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